

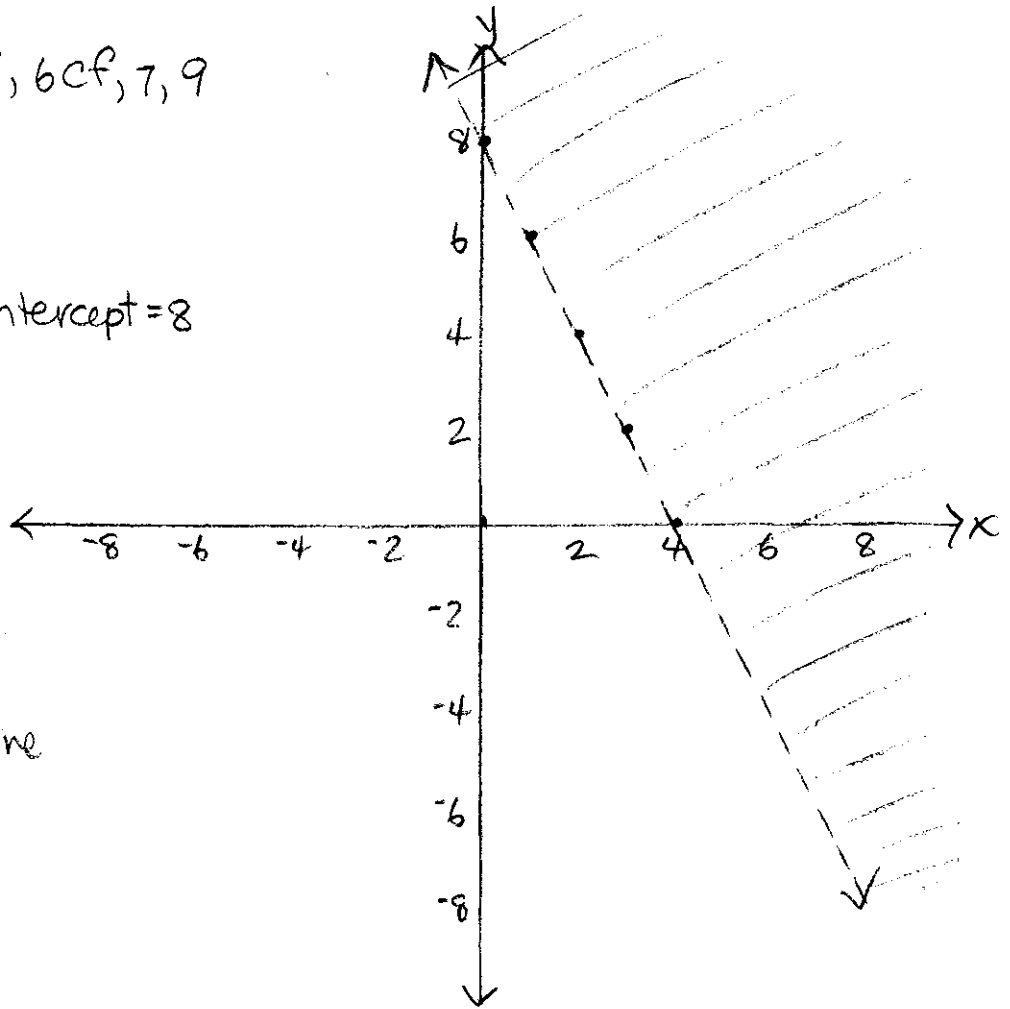
Foundations of math II

p. 303 #5acdf, 6cf, 7, 9

5. a) $y > -2x + 8$

slope = $-\frac{2}{1}$ y-intercept = 8
dotted line

use (0,0)
 $0 > -2 \cdot 0 + 8$
 $0 > 0 + 8$
 $0 > 8$ false
so shade on other side of line

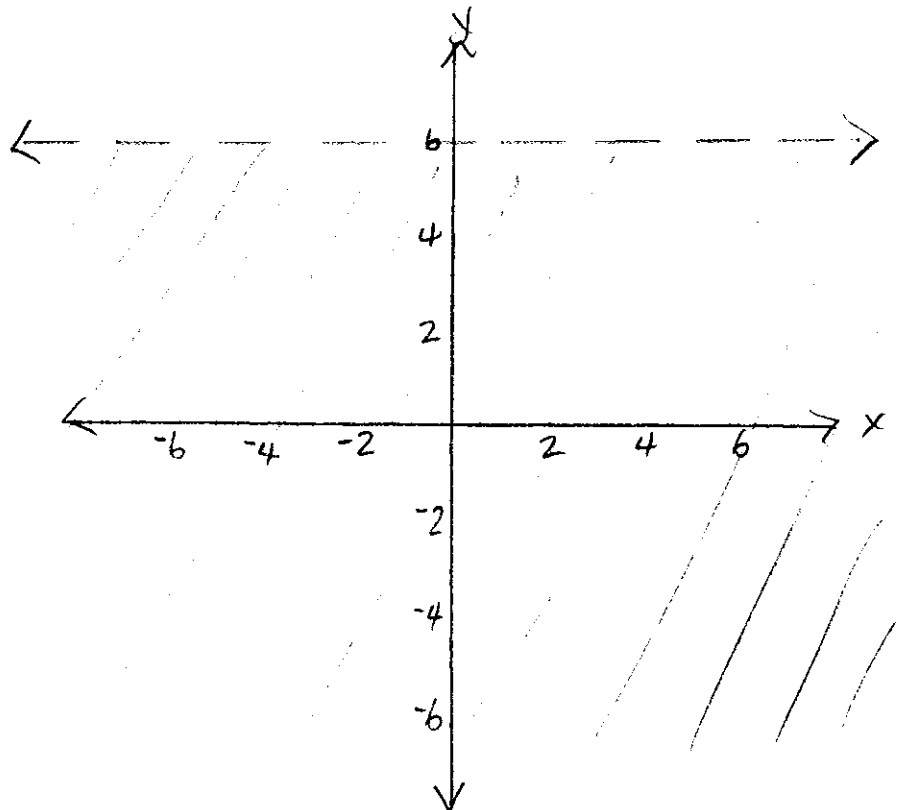


c) $y < 6$

no x, so horizontal line

dotted line

don't need to pick a point because y is less than 6 so it has to be below the line



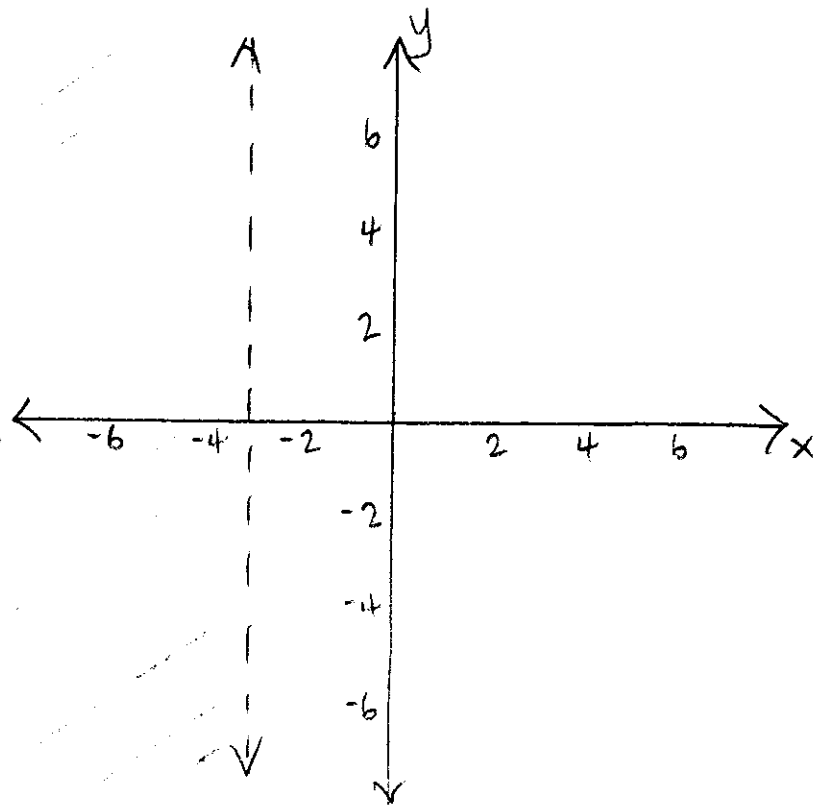
p. 303 cont.

$$\begin{aligned} 5. d) -4x - 8 &> 4 \\ -4x &> 12 \\ x &< -3 \end{aligned}$$

remember: when you multiply or divide both sides of an inequality by a negative number, you need to reverse the sign

no y in the inequality so it is a vertical line

"less than" so shading is to the left of -3



$$\begin{aligned} f) 4x + 3y &\geq -12 \\ 3y &\geq -4x - 12 \\ y &\geq -\frac{4}{3}x - 4 \end{aligned}$$

Solid line

slope = $\frac{4}{3}$ up
3 across

left because of the negative

y -intercept = -4

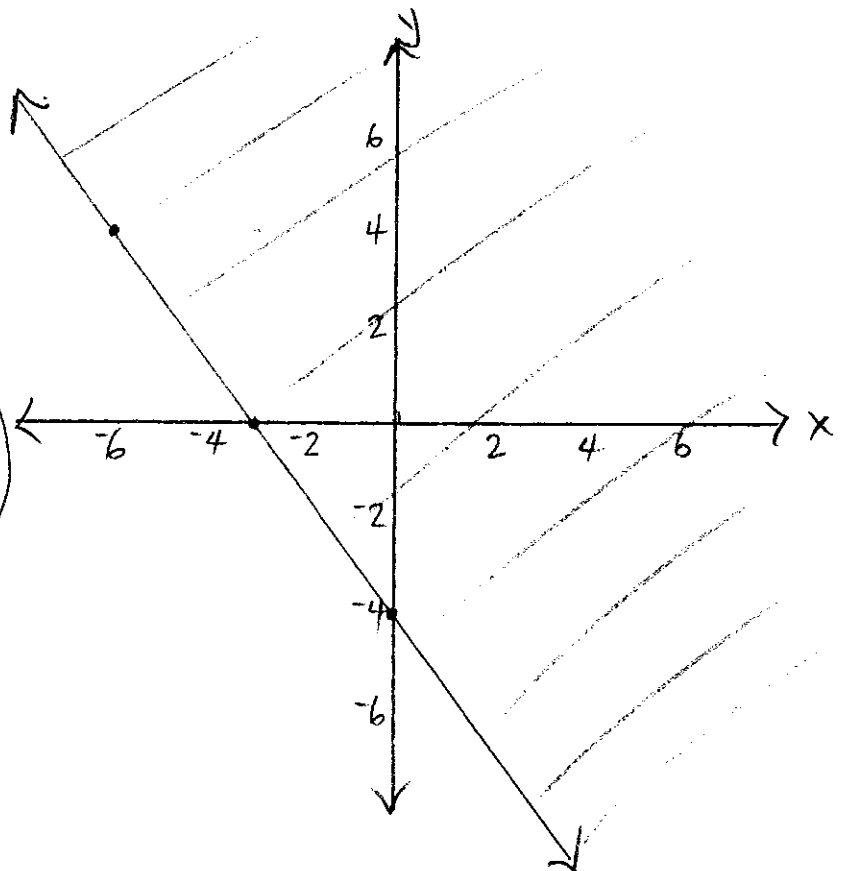
pick point $(0,0)$

$$4 \cdot 0 + 3 \cdot 0 \geq -12$$

$$0 + 0 \geq -12$$

$$0 \geq -12$$

true so shade where $(0,0)$ is



p. 303 cont.

6. c) $\{(x,y) \mid 5x-y \leq 4, x \in \mathbb{W}, y \in \mathbb{W}\}$

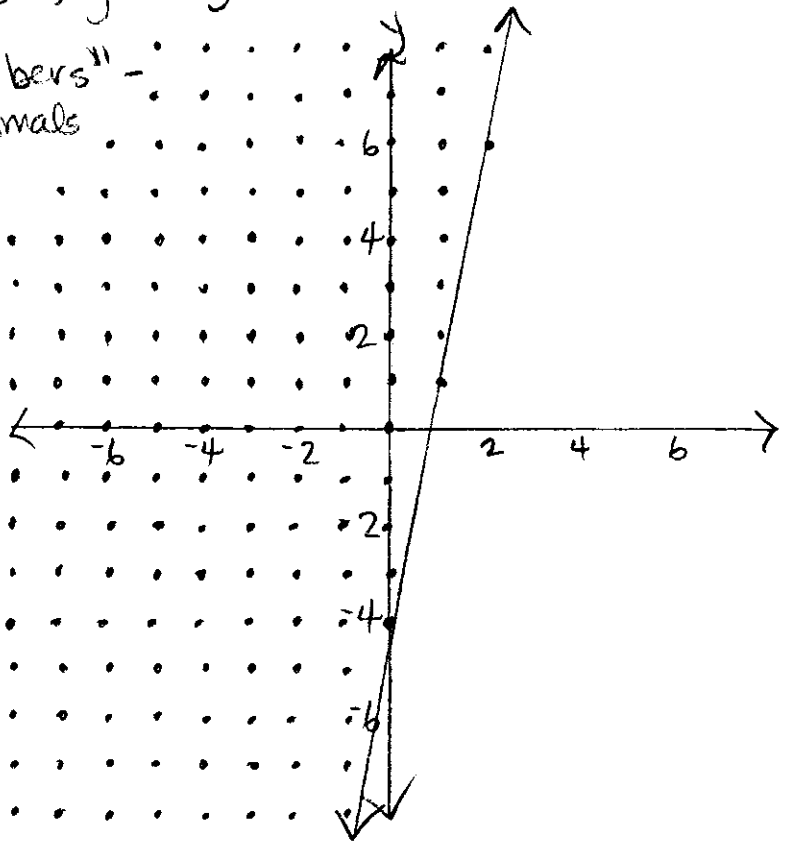
W means "whole numbers" -
no fractions or decimals

$$\begin{aligned} 5x - y &\leq 4 \\ 5x &\leq y + 4 \\ 5x - 4 &\leq y \end{aligned}$$

pick point (0,0)

$$\begin{aligned} 5 \cdot 0 - 0 &\leq 4 \\ 0 - 0 &\leq 4 \\ 0 &\leq 4 \\ \text{true} \end{aligned}$$

answer is
whole numbers
only



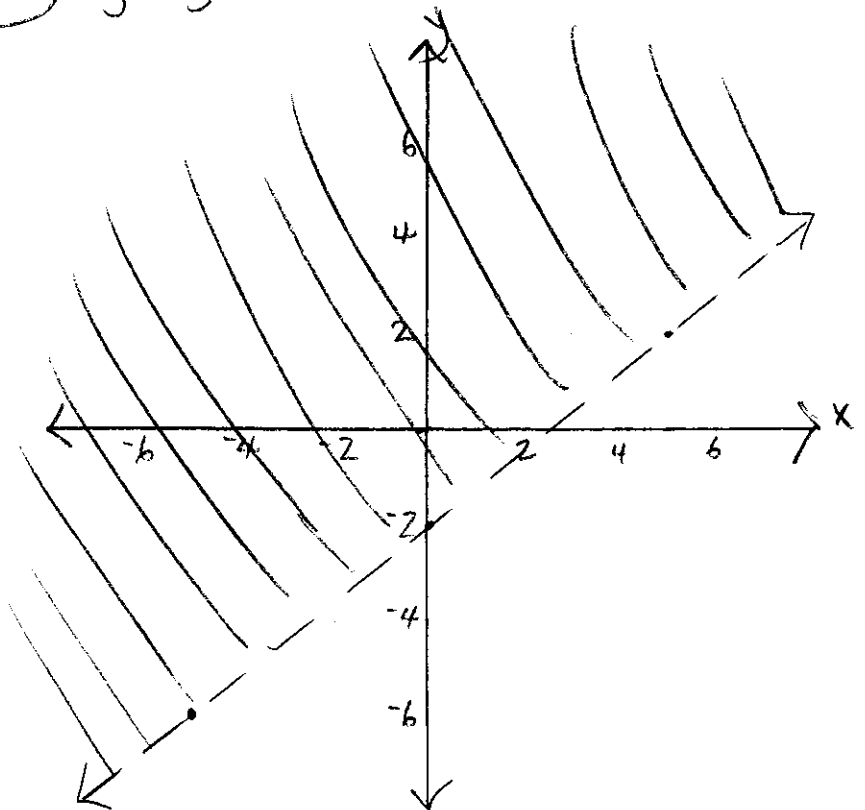
f) $\{(x,y) \mid 4x-5y < 10, x \in \mathbb{R}, y \in \mathbb{R}\}$

Real number

$$\begin{aligned} 4x - 5y &< 10 \\ 4x - 10 &< 5y \\ \frac{4}{5}x - 2 &< y \end{aligned}$$

pick point (0,0)

$$\begin{aligned} 4 \cdot 0 - 5 \cdot 0 &< 10 \\ 0 - 0 &< 10 \\ 0 &< 10 \\ \text{true} \end{aligned}$$



p. 303 cont.

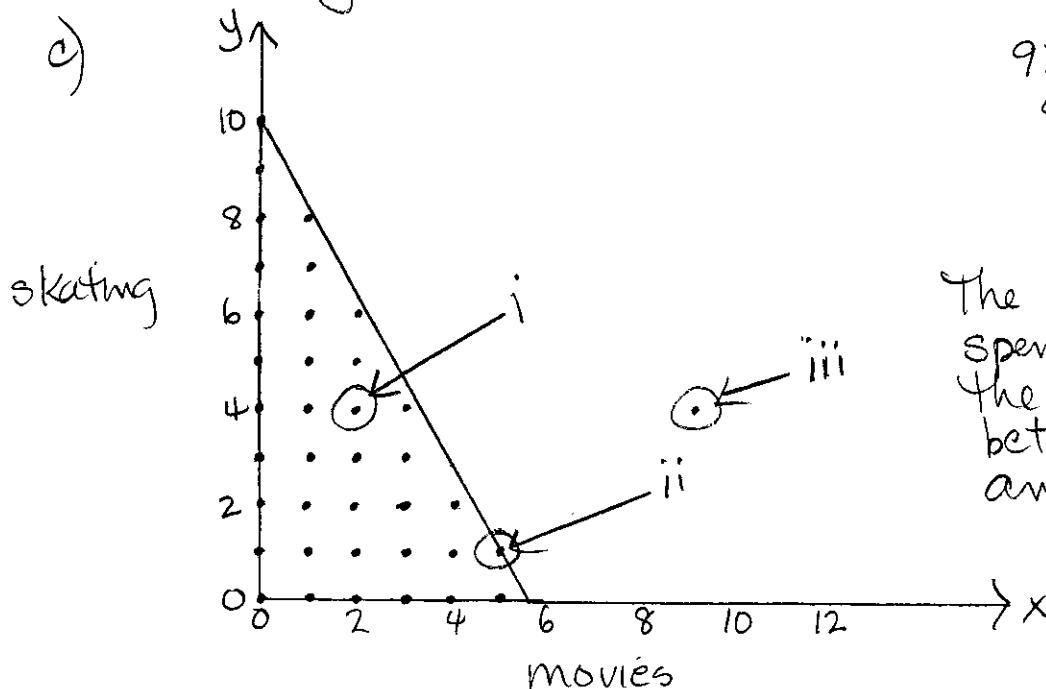
7. budgets no more than \$75 per month
movie \$9 per ticket
skating \$5 per time
bus pass \$25

a) Let x be the number of movie tickets
Let y be the number of skating times

$$9x + 5y + 25 \leq 75$$

b) The restrictions on x and y are:

- ① they must be positive or zero
- ② they must be whole numbers



$$\begin{aligned} 9x + 5y + 25 &\leq 75 \\ 9x + 5y &\leq 50 \\ 5y &\leq -9x + 50 \\ y &\leq -\frac{9}{5}x + 10 \end{aligned}$$

The line represents spending \$75 so the solution is between the line and (0,0)

- i) In order to have money left over she will need to have the values of the points not on the line
eg. 2 movies + 4 skating times
- ii) To have no money left over she would need to select a point on the line. eg. 5 movies + 1 skating time
- iii) Any "points" above or to the right of the line would exceed her budget, eg. 9 movies + 4 skating times

p. 303 cont.

9. each teddy bear sold \rightarrow \$10 to charity
each ticket sold \rightarrow \$32 to charity
need to raise at least \$5000

a) Let x be teddy bears sold
Let y be tickets sold

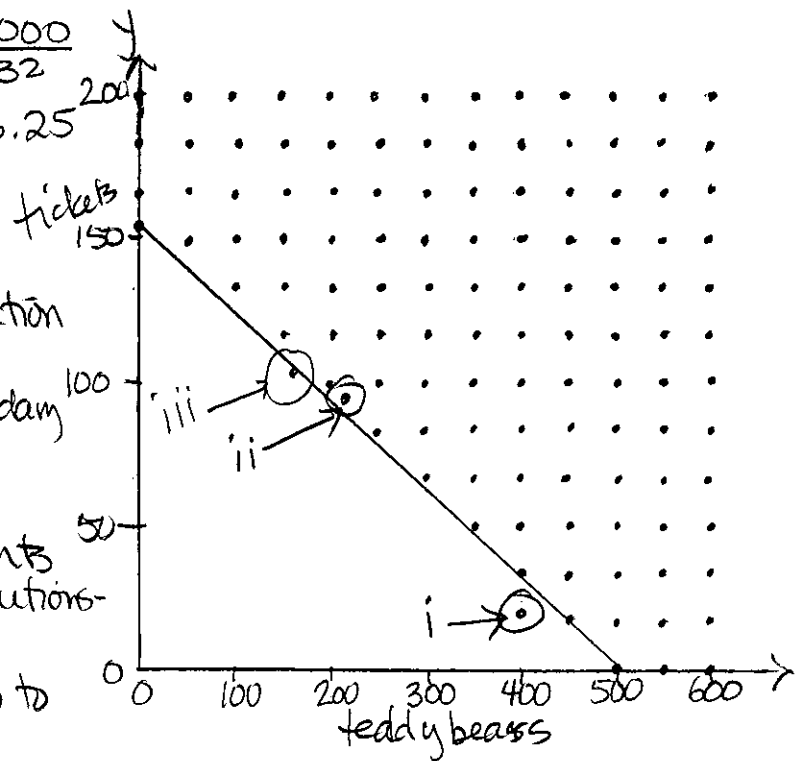
$$10x + 32y \geq 5000$$

b) Variables must be whole numbers (positive and zero or greater) because you can only sell whole teddy bears or whole tickets.

c) $10x + 32y \geq 5000$
 $32y \geq -10x + 5000$
 $y \geq -\frac{10}{32}x + \frac{5000}{32}$
 $y \geq -\frac{5}{16}x + 156.25$

must be at least
\$5000 so solution
is above and to
the right of the boundary
line

There is more points
between these solutions -
there is just too
many possibilities to
show them all.



(teddy bears, tickets)
i) (400, 20) ii) (205, 98) iii) (156, 105)
no yes no